

Testing

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Outline

- **Fundamentals of Software Testing**
 - Testing techniques
 - White-box testing
 - Control-flow-based testing
 - Data-flow-based testing
 - Black-box testing
 - Equivalence partitioning

Testing Objective

- **Testing:** a process of executing software with the intent of finding errors
- **Good testing:** a high probability of finding as-yet-undiscovered errors
- **Successful testing:** discovers unknown errors

Basic Definitions

- **Test case:** specifies
 - Inputs + pre-test state of the software
 - Expected results (outputs an state)
- **Black-box testing:** ignores the internal logic of the software, and looks at what happens at the interface (e.g., given this inputs, was the produced output correct?)
- **White-box testing:** uses knowledge of the internal structure of the software
 - E.g., write tests to “cover” internal paths

Testing Approaches

- Will look at a sample of approaches for testing
- White-box testing
 - Control-flow-based testing
 - Data-flow-based testing
- Black-box testing
 - Equivalence partitioning

Control-flow-based Testing

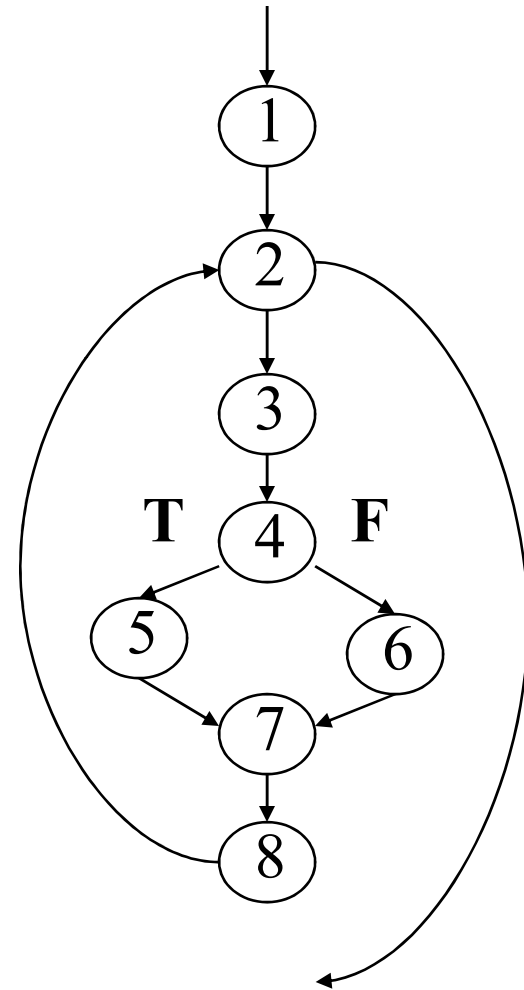
- A traditional form of white-box testing
- Step 1: From the source, extract a CFG
- Step 2: Design test cases to cover certain elements of this graph
 - Nodes, edges, paths
- Basic idea: given the CFG, define a **coverage target** and write test cases to achieve it

Statement Coverage

- Traditional target: statement coverage
 - Need to write test cases that cover all nodes in the control flow graph
- Intuition: code that has never been executed during testing may contain errors
 - Often this is the “low-probability” code

Example

- Suppose that we write and execute two test cases
- Test case #1: follows path 1-2-3-4-5-7-8-2-exit (e.g., we never take the loop)
- Test case #2: 1-2-3-4-5-7-8-2-3-4-5-7-8-2-exit (loop twice, and both times take the true branch)
- Problems?



Branch Coverage

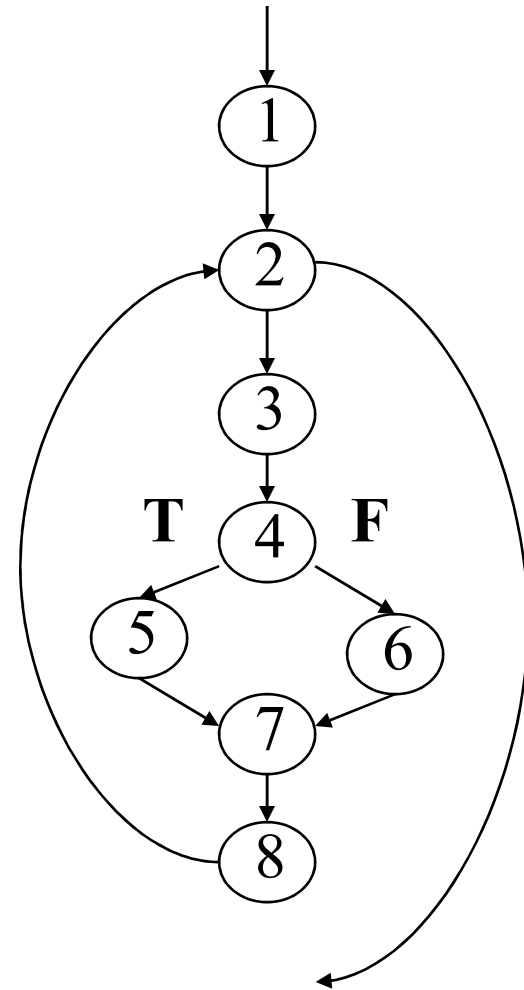
- Target: write test cases that cover all branches of predicate nodes
 - True and false branches of each IF
 - The two branches corresponding to the condition of a loop
 - All alternatives in a SWITCH statement
- In modern languages, branch coverage implies statement coverage

Branch Coverage

- Statement coverage does not imply branch coverage
- Can you think of an example?
- Motivation for branch coverage: experience shows that many errors occur in “decision making” (i.e., branching)
 - Plus, it subsumes statement coverage.

Example

- Same example as before
- Test case #1: follows path 1-2-exit
- Test case #2: 1-2-3-4-5-7-8-2-3-4-5-7-8-2-exit
- Problem?



Achieving Branch Coverage

- For decades, branch coverage has been considered a necessary testing minimum
- To achieve it: pick a set of start-to-end paths in the CFG, that cover all branches
 - Consider the current set of chosen paths
 - Try to add a new path that covers at least one edge that is not covered by the current paths
- Then write test cases to execute these paths

Some Observations

- It may be impossible to execute some of the chosen paths from start-to-end
 - Why? Can you think of an example?
 - Thus, branches should be executed as part of other chosen paths
- There are many possible sets of paths that achieve branch coverage

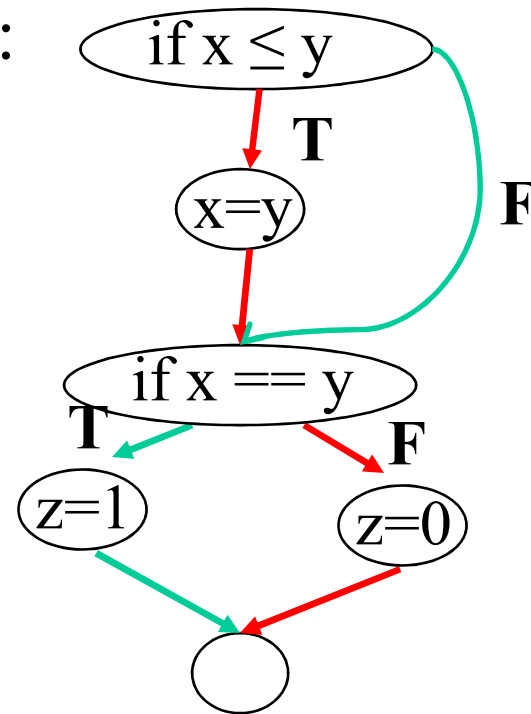
Example

Candidate start-to-end paths:

- (1) green path
- (2) red path

% branch coverage?

Problem?



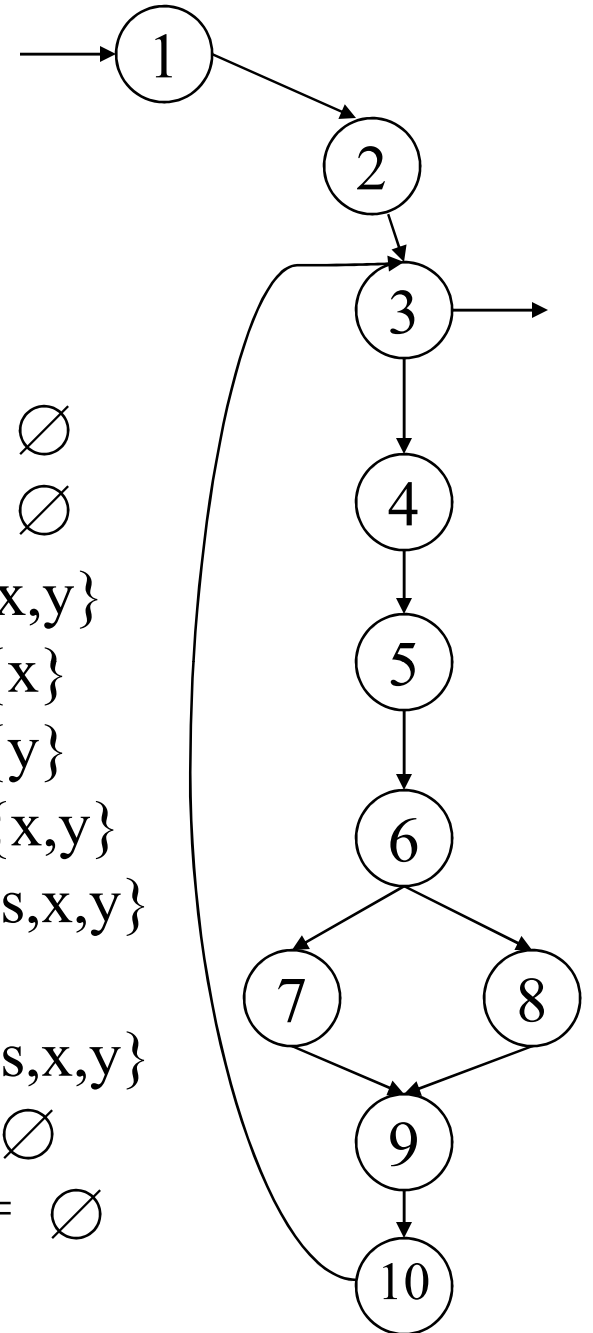
Data-flow-based Testing

- Basic idea: test the connections between variable definitions (“write”) and variable uses (“read”)
- Starting point: variation of the control flow graph
 - Statement nodes represent **one** statement
- Set **Def(*n*)** contains variables that are defined at node *n* (i.e., they are written)
 - The definitions at node *n*
- Set **Use(*n*)**: variables that are read
 - The uses at node *n*

Example

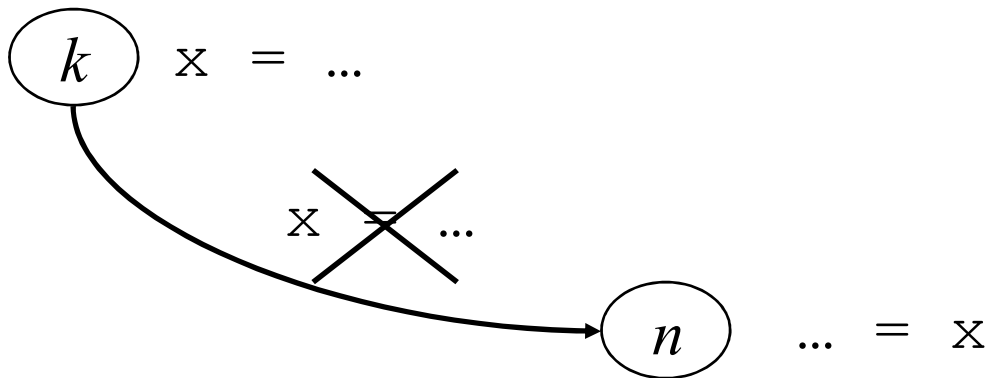
Assume y is an input variable

1 $s := 0;$	$\text{Def}(1) := \{s\}, \text{Use}(1) := \emptyset$
2 $x := 0;$	$\text{Def}(2) := \{x\}, \text{Use}(2) := \emptyset$
3 while ($x < y$) {	$\text{Def}(3) := \emptyset, \text{Use}(3) := \{x, y\}$
4 $x := x + 3;$	$\text{Def}(4) := \{x\}, \text{Use}(4) := \{x\}$
5 $y := y + 2;$	$\text{Def}(5) := \{y\}, \text{Use}(5) := \{y\}$
6 if ($x + y < 10$)	$\text{Def}(6) := \emptyset, \text{Use}(6) := \{x, y\}$
7 $s := s + x + y;$	$\text{Def}(7) := \{s\}, \text{Use}(7) := \{s, x, y\}$
else	
8 $s := s + x - y;$	$\text{Def}(8) := \{s\}, \text{Use}(8) := \{s, x, y\}$
	$\text{Def}(9) := \emptyset, \text{Use}(9) := \emptyset$
	$\text{Def}(10) := \emptyset, \text{Use}(10) := \emptyset$



Remember Reaching Definitions

- **Definition** A statement that may change the value of a variable (e.g., $\mathbf{x = i+5}$)
- A definition of a variable \mathbf{x} at node k **reaches** node n if there is a path from k to n , clear of a definition of \mathbf{x} .



Def-use Pairs

- A **def-use pair (DU pair)** for variable **x** is a pair of nodes $(n1, n2)$ such that
 - **x** is in $Def(n1)$
 - The definition of **x** at $n1$ *reaches* $n2$
 - **x** is in $Use(n2)$
- In other words, the value that is assigned to **x** at $n1$ is used at $n2$
 - Since the definition *reaches* $n2$, the value is not “killed” along some path $n1 \dots n2$.

Examples of Reaching Definitions

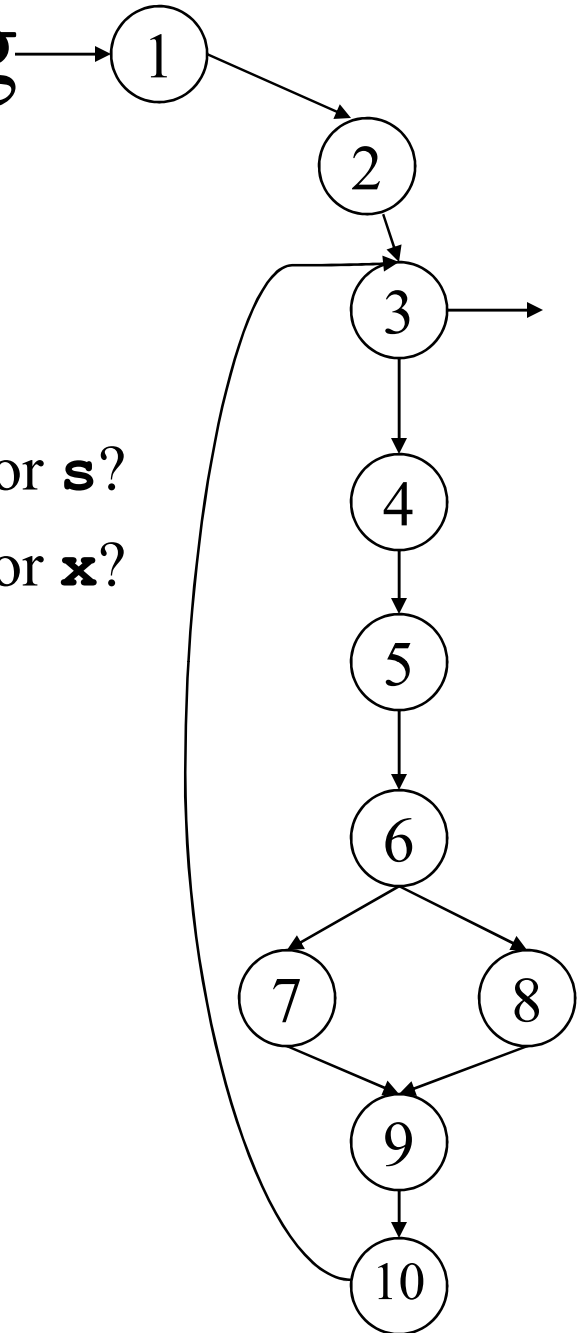
Assume y is an input variable

```
1 s:= 0;
2 x:= 0;
3 while (x<y) {
4   x:=x+3;
5   y:=y+2;
6   if (x+y<10)
7     s:=s+x+y;
   else
8     s:=s+x-y;
```

What are the def-use pairs for s ?

What are the def-use pairs for x ?

So, how do we compute def-use pairs?



Data-flow-based Testing

- Data-flow-based coverage target: DU pair coverage
 - Compute all DU pairs, and construct test cases that cover these pairs. HOW DO WE COMPUTE DU PAIRS?
- Several coverage targets (criteria), with different relative strength
- **Motivation for data-flow-based testing coverage:** see the effects of using the values produced by computations
 - Focuses on the data, while control-flow-based testing focuses on the control

Finally, the targets (criteria):

All-defs criterion

- If variable \mathbf{x} is in $\text{Def}(n1)$, the **all-defs** criterion requires the test data to exercise at least one path free of definition of \mathbf{x} which goes from $n1$ to some node $n2$ such that $(n1, n2)$ is a DU pair for \mathbf{x} .
 - Remember, \mathbf{x} is defined at $n1$,
 - The definition of \mathbf{x} at $n1$ reaches $n2$, and
 - \mathbf{x} is used at $n2$

All-uses criterion

- If variable \mathbf{x} is in $\text{Def}(n1)$, the **all-uses** criterion requires the test data to exercise at least one path free of definition of \mathbf{x} which goes from $n1$ to each node $n2$ such that $(n1, n2)$ is a DU pair for \mathbf{x} .

All-DU-paths criterion

- If variable \mathbf{x} is in $\text{Def}(n1)$, the **all-DU-paths** criterion requires the test data to exercise each path free of definition of \mathbf{x} which goes from $n1$ to each node $n2$ such that $(n1, n2)$ is a DU pair for \mathbf{x} .
- So what is the relative strength of the three criteria: All-defs, All-uses, All-DU-paths?

All-defs, all-uses, all-du-paths

Assume y is input

```
1  s:= 0;
2  x:= 0;
3  while (x<y) {
4      x:=x+3;
5      y:=y+2;
6      if (x+y<10)
7          s:=s+x+y;
           else
8          s:=s+x-y;
           }
}
```

1. Design test cases that cover all-uses

Black-box Testing

- Unlike white-box testing, no knowledge about the internals of the code
- Test cases are designed based on specifications
 - Example: search for a value in an array
 - Postcondition: return value is the index of some occurrence of the value, or -1 if the value does not occur in the array
 - We design test cases based on this spec

Equivalence Partitioning

- Basic idea: consider input/output domains and partition them into equiv. classes
 - For different values from the same class, the software should behave equivalently
- Use test values from each class
 - Example: if the range for input x is $2..5$, there are three classes: “ <2 ”, “between $2..5$ ”, “ $5<$ ”
 - Testing with values from different classes is more likely to uncover errors than testing with values from the same class

Equivalence Classes

- Examples of equivalence classes
 - Input x in a certain range $[a..b]$: this defines three classes “ $x < a$ ”, “ $a \leq x \leq b$ ”, “ $b < x$ ”
 - Input x is boolean: classes “true” and “false”
 - Some classes may represent invalid input
- Choosing test values
 - Choose a **typical** value in the middle of the class(es) that represent valid input
 - Also choose values at the **boundaries** of all classes: e.g., if the range is $[a..b]$, use $a-1, a, a+1, b-1, b, b+1$

Example

- Suppose our spec says that the code accepts between 4 and 24 inputs, and each one is a 3-digit positive integer
- One dimension: partition the number of inputs
 - Classes are “ $x < 4$ ”, “ $4 \leq x \leq 24$ ”, “ $24 < x$ ”
 - Chosen values: 3, 4, 5, 14, 23, 24, 25
- Another dimension: partition the integer values
 - Classes are “ $x < 100$ ”, “ $100 \leq x \leq 999$ ”, “ $999 < x$ ”
 - Chosen values: 99, 100, 101, 500, 998, 999, 1000

Another Example

- Similar approach can be used for the output:
exercise boundary values
- Suppose that the spec says “the output is between 3 and 6 integers, each one in the range 1000-2500
- Try to design input that produces
 - 3 outputs with value 1000
 - 3 outputs with value 2500
 - 6 outputs with value 1000
 - 6 outputs with value 2500

Example: Searching

- Search for a value in an array
 - Return value is the index of some occurrence of the value, or -1 if the value does not occur in the array
- One partition: size of the array
 - Since people often make errors for arrays of size 1, we decide to create a separate equivalence class
 - Classes are “empty arrays”, array with one element”, “array with many elements”

Example: Searching

- Another partition: location of the value
 - Four classes: “first element”, “last element”, “middle element”, “not found”

<u>Array</u>	Value	Output
Empty	5	-1
[7]	7	0
[7]	2	-1
[1,6,4,7,2]	1	0
[1,6,4,7,2]	4	2
[1,6,4,7,2]	2	4
[1,6,4,7,2]	3	-1

Testing Strategies

- We talked about testing techniques (white-box, black-box)
- Many unanswered questions
 - E.g., who does the testing? Which techniques should we use and when? And more...
- There are no universal strategies, just principles that have been useful in practice
 - E.g., the notions of **unit testing** and **integration testing**

Some Basic Principles

- Testing starts at the component level and works “outwards”
 - Unit testing, integration testing, system testing
- Different testing techniques are appropriate at different scopes
- Testing is conducted by developers and/or by a specialized group of testers
- Testing is different from debugging
 - Debugging follows successful testing

Scope and Focus

- Unit testing: scope = individual component
 - Focus: component correctness
 - Black-box and white-box techniques
- Integration testing: scope = set of interacting components
 - Focus: correctness of component interactions
 - Mostly black-box, some white-box techniques
- System testing: scope = entire system
 - Focus: overall system correctness
 - Only black-box techniques

Test-First Programming

- Modern practices emphasize the importance of testing during development
- Example: test-first programming
 - Basic idea: before you start writing any code, first write the tests for this code
 - Write a little test code, write the corresponding unit code, make sure it passes the tests, and then repeat
 - What programming methodology uses this approach?
 - What are the advantages of test-first programming?

Advantages of Test-First Programming

- Developers do not “skip” unit testing
- Satisfying for the programmer: feeling of accomplishment when the tests pass
- Helps clarify interface and behavior before programming
 - To write tests for something, first you need to understand it well!
- Software evolution
 - After changing existing code, rerun the tests to gain confidence (regression testing)