UNCERTAINTY PRINCIPLE

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- In the case of narrow wavegroup, the probability for finding the particle is maximum in a narrow region.
- Thus narrower the wavegroup,more precisely the position of the particle can be specified.
- But there are not enough waves in the group,hence the wavelength can not be well defined.
- Therefore momentum $(p=h/\lambda)$ cannot be precisely determined



- In the case of a broader wavegroup, the wavelength is clearly defined, since a large no. of waves are available in the group.
- Hence momentum can be precisely determined.
- There arises uncertainty in determining the position ,since the probability for finding the particle lies in a broad region.

- That means there arises an uncertainty in measuring the position and momentum exactly at the same time.
- Uncertainty Principle states that "It is impossible to determine both the exact position and exact momentum of an object at the same time"
- The principle was stated by Heisenberg in 1927

 If ∆x and ∆p_x are the uncertainties in the measurement of position and on the x axis and the corresponding component of momentum respectively at same instant , then acc. to uncertainty principle

 $\Delta x \Delta p_x \ge h/4\pi$

 $(p=h/\lambda, p_x=h/x, \Delta p_x=h/\Delta x, \Delta x \Delta p_x=h)$

- For a narrow group Δx is very small, then Δp_x is very large.
- For a broader group, Δp_x is very small, then Δx is very large.
- If $\Delta x = 0$ then $\Delta p_x = \infty$, similarly if $\Delta p_x = 0$ then $\Delta x = \infty$.

• Another form of uncertainty occurs in energy and time . $\Delta E = h \Delta v = h / \Delta t$ $\Delta E \Delta t = h$ • More precise calculations leads to $\Delta E \Delta t \ge h / 4\pi$

THANK YOU